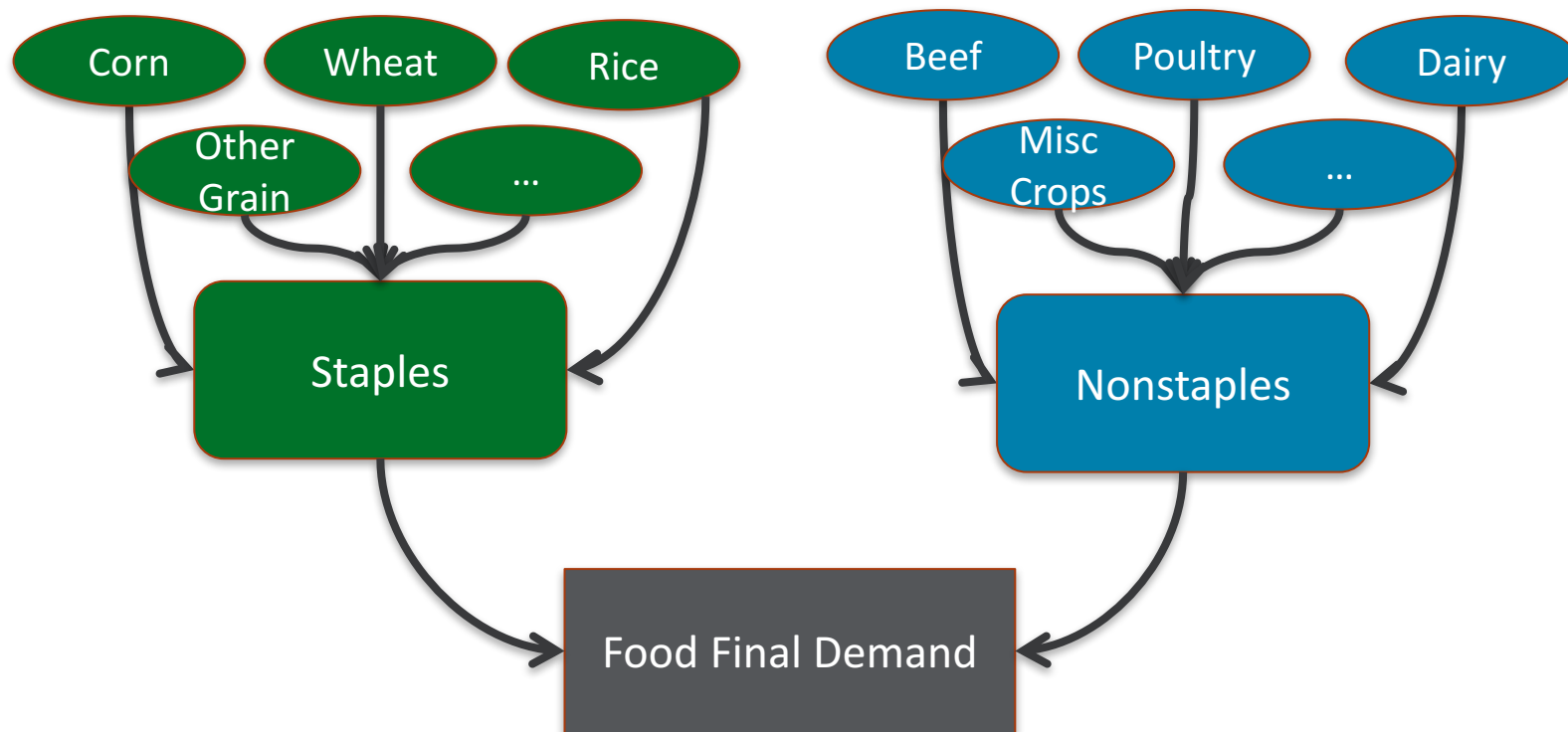


A New Food Demand Model for GCAM

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PNNL

Makeup of Food Demand Sectors





The Food Demand Model

$$q_s = A_s x^{h_s(x)} w_s^{e_{ss}(x)} w_n^{e_{sn}(x)}$$

$$q_n = A_n x^{h_n(x)} w_s^{e_{ns}(x)} w_n^{e_{nn}(x)}$$

$$e_{ij}(x) = g_{ij} - \eta_i \alpha_j \quad h_s(x) = \frac{\lambda}{x} \left(1 + \frac{\kappa}{\ln x} \right)$$
$$\eta_i = \frac{\partial \ln x^{h_i(x)}}{\partial \ln x} \quad h_n(x) = \frac{\nu}{1-x}$$

- ▶ x : dimensionless income, Y/P_m
- ▶ w : dimensionless price, P_s/P_m , P_n/P_m
- ▶ α : budget fraction, wq/x

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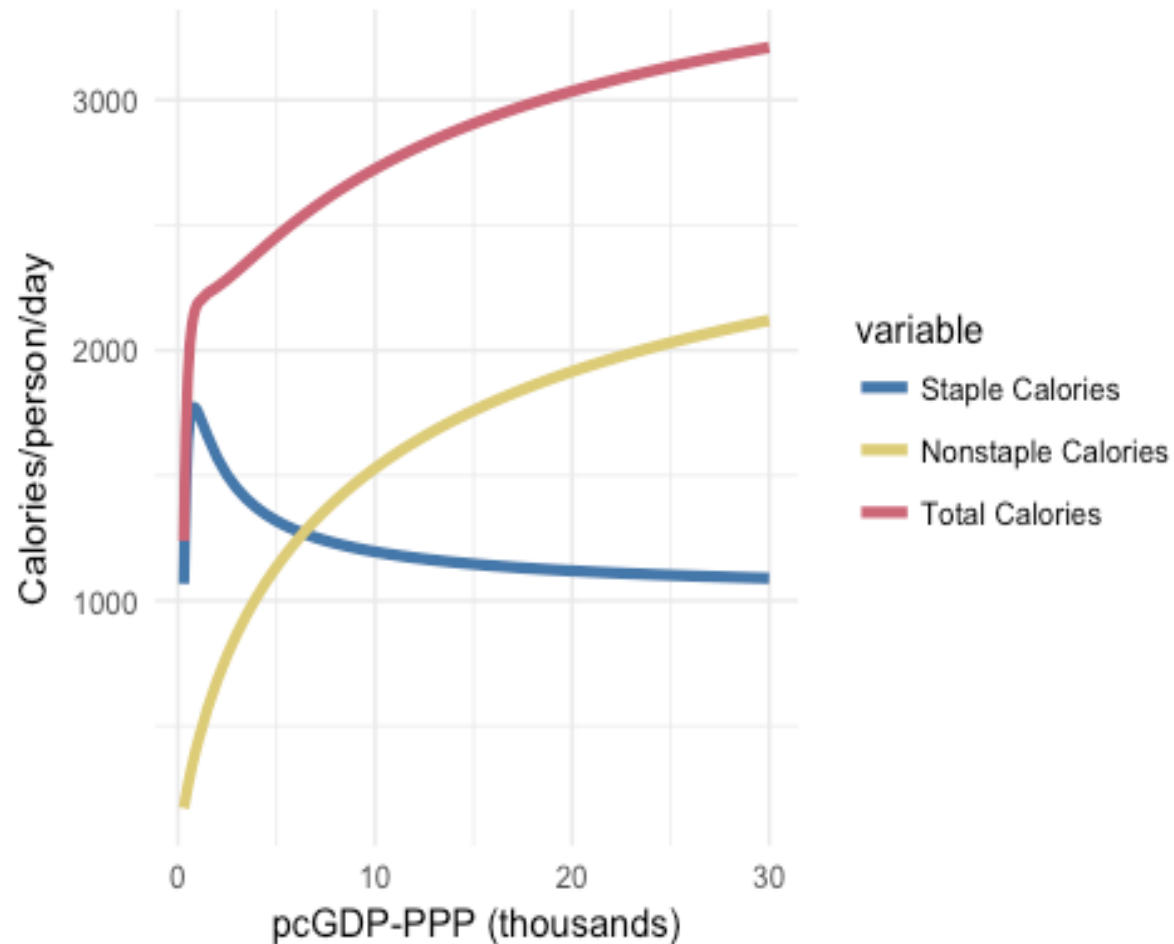
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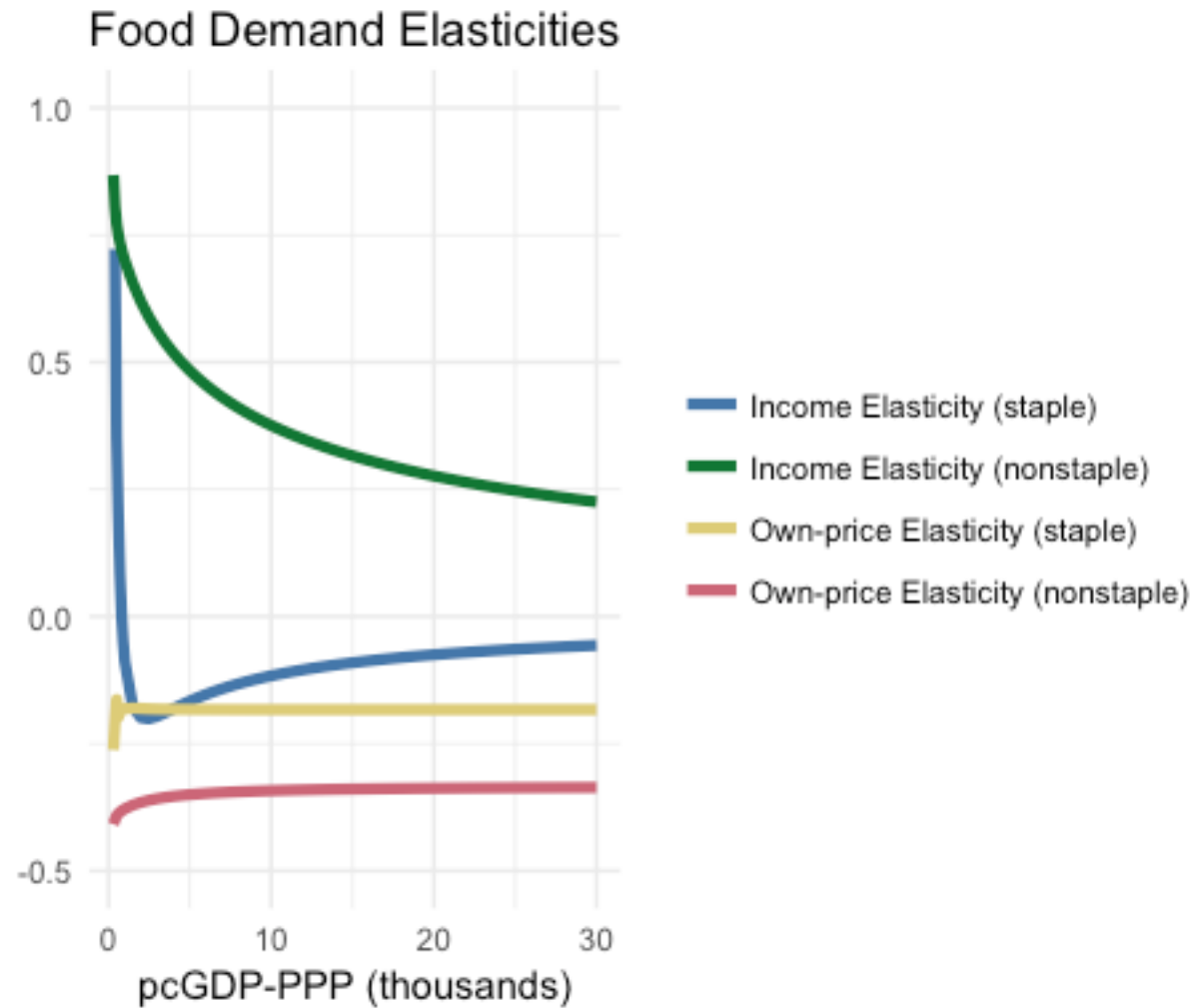
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Food Demand Income Dependence

Model Results: Calorie Consumption



Food Demand Elasticities





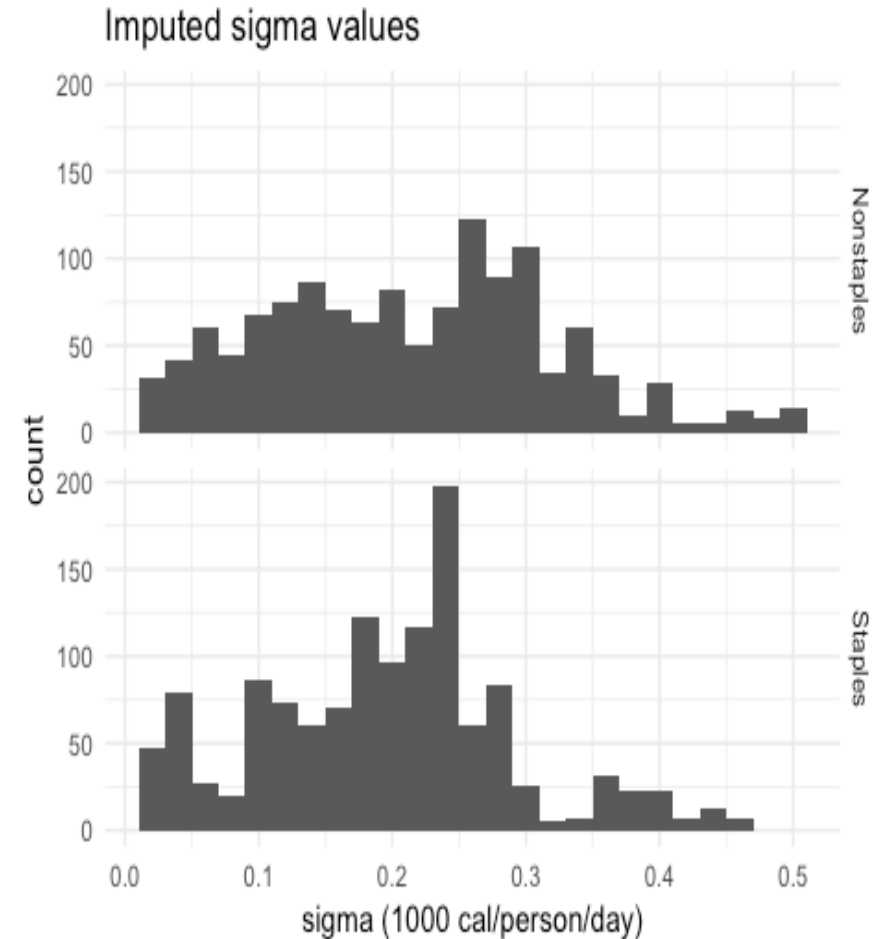
Bayesian Monte Carlo Calibration

Likelihood Function:

$$L(\vartheta) = \ln P(\hat{y} | \vartheta) = \sum_i \frac{(y_i(\vartheta) - \hat{y}_i)^2}{2\sigma_i^2}$$

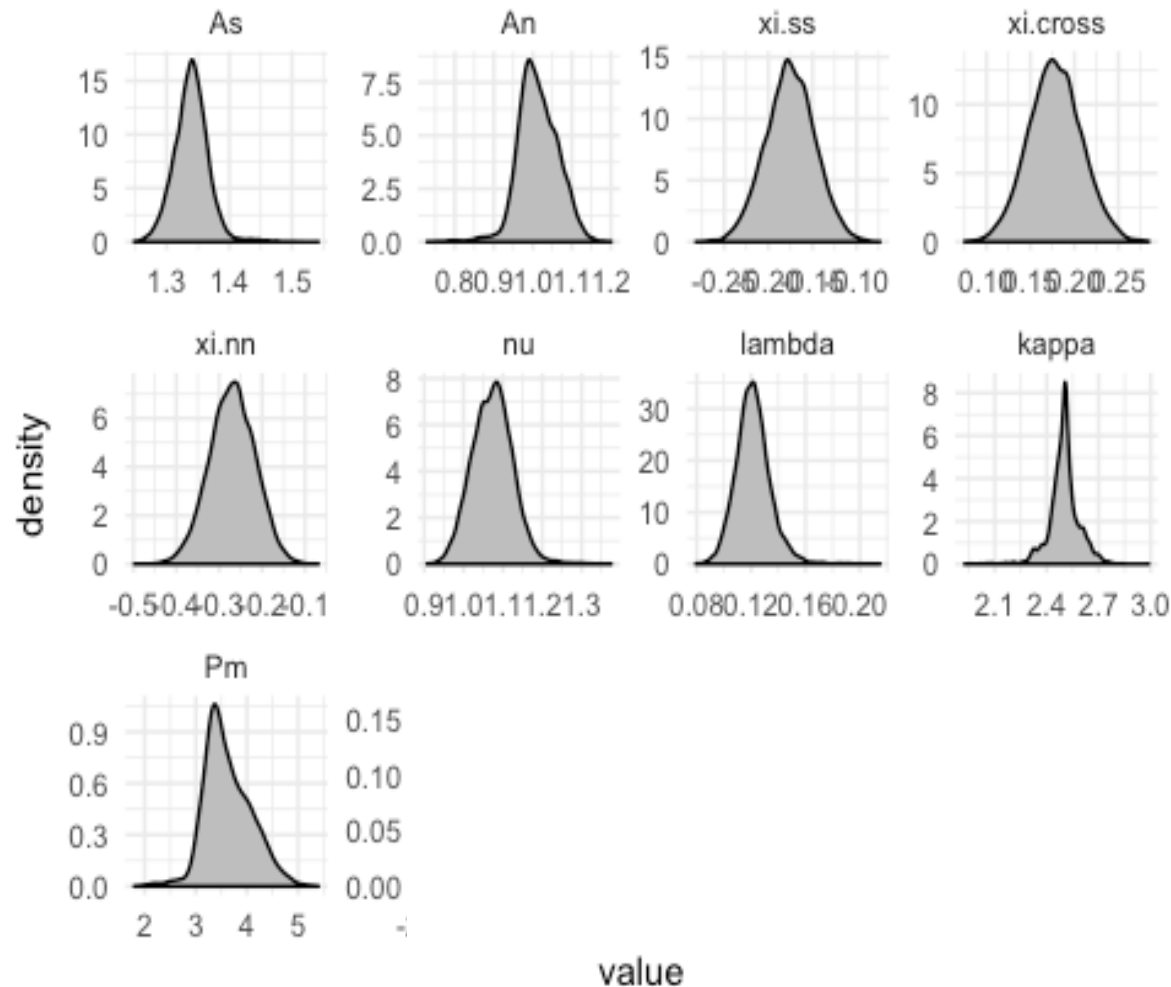
Bayes' Theorem:

$$P(\vartheta | \hat{y}) \propto P(\hat{y} | \vartheta)P(\vartheta)$$

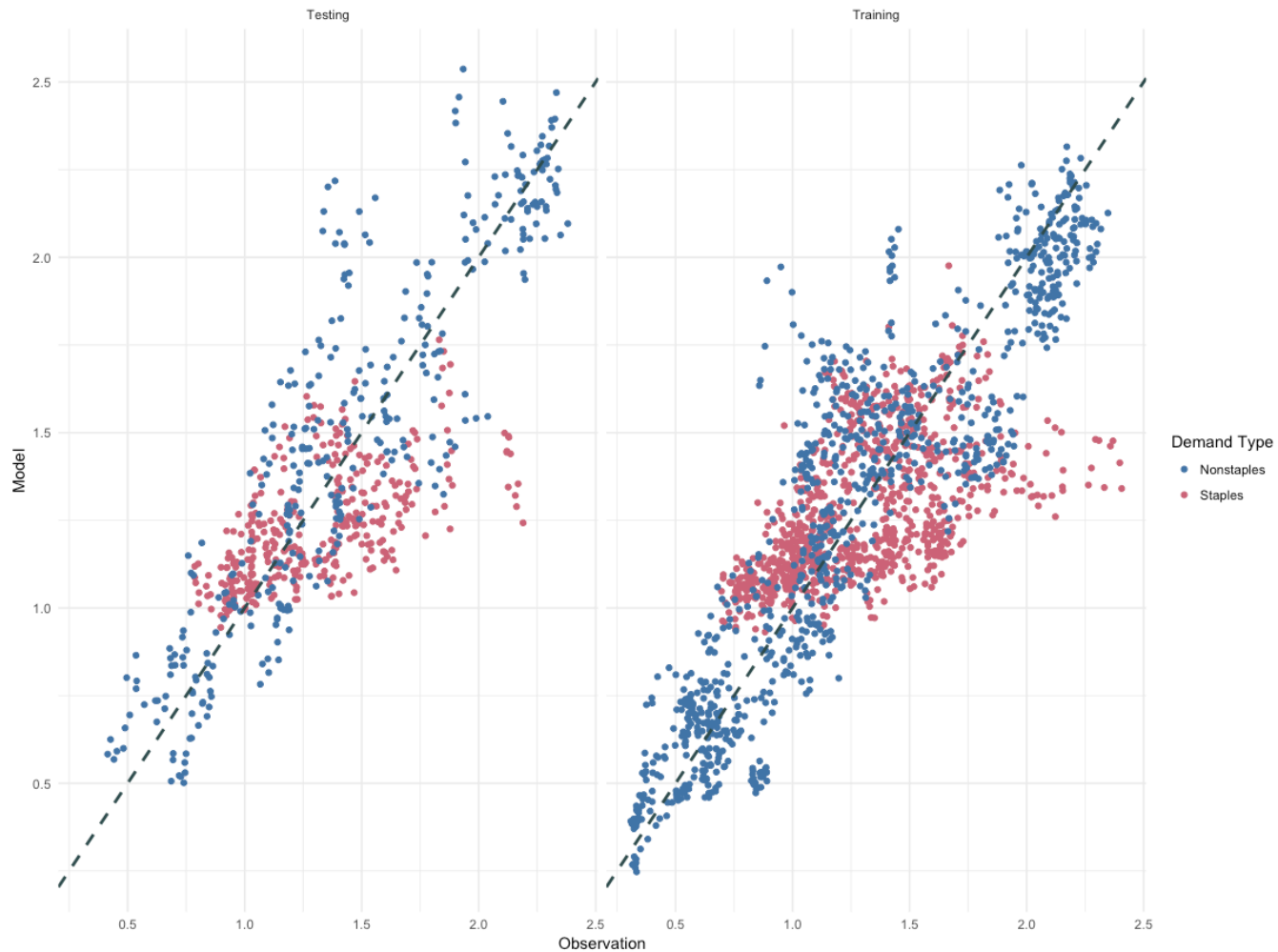




Monte Carlo Parameter results

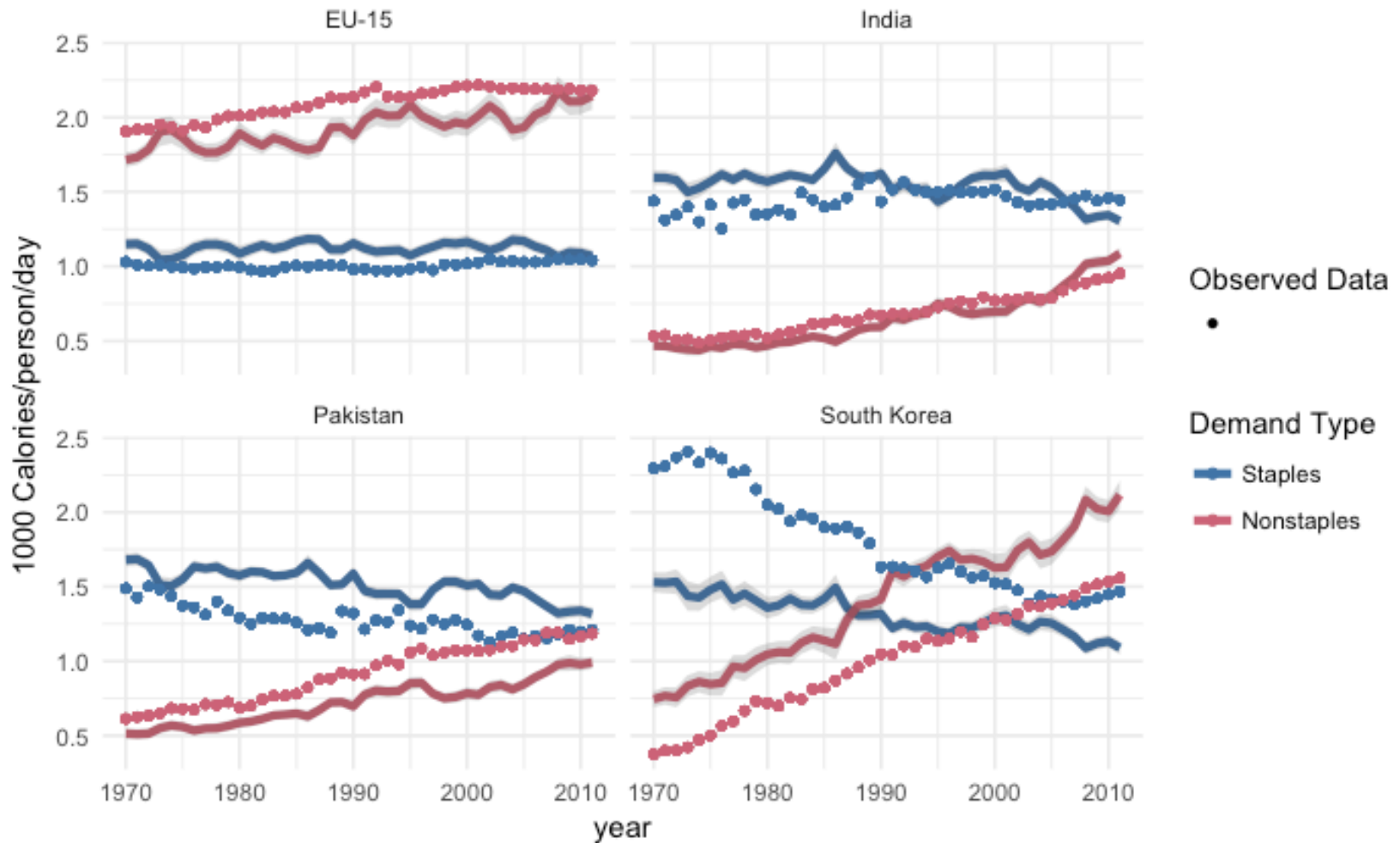


Comparing Model to Observations





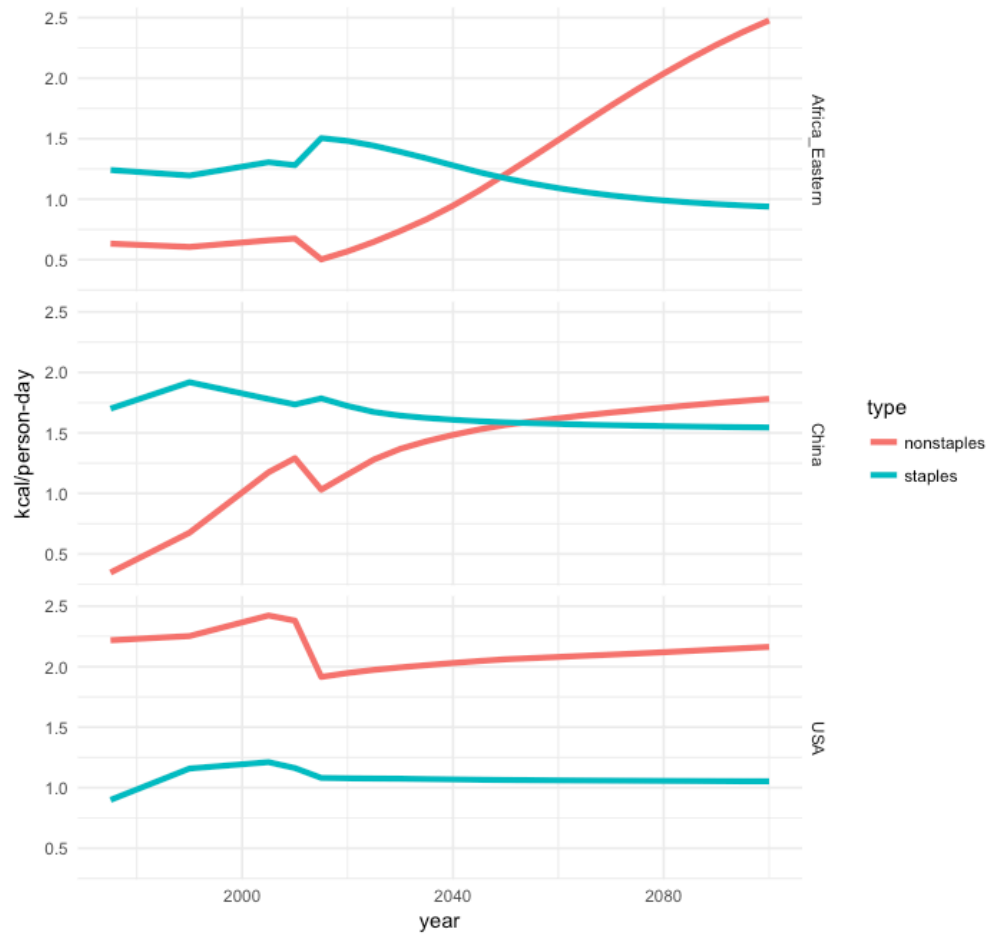
Comparing Model to Observations



After Regional Bias Correction



GCAM Results



GCAM Results

